1**. Uninformed Search**

1.1 [BFS, DFS](https://cs.stanford.edu/people/abisee/tutorial/bfsdfs.html)

```
def BFS(init_state):
  q =Queue() q.push(init_state)
  viz[init state] = 1 while q is not empty:
    state = q.pop()if is final(state):
        print(state) 
    for each neigh of state: 
        if is_valid(neigh) and not viz[neigh]:
          viz[neigh] = 1 q.push(neigh)
                                                  def DFS(init_state):
                                                    s = Stack()
                                                     s.push(init_state)
                                                    viz\lceilinit state\rceil = 1
                                                     while s is not empty:
                                                      state = s.pop()if is final(state):
                                                           print(state) 
                                                       for each neigh of state: 
                                                           if is_valid(neigh) and not viz[neigh]:
                                                             viz[neigh] = 1 s.push(neigh)
```
1.2 Uniform Cost [Search \(UCS\)](https://cs.stanford.edu/people/abisee/tutorial/dijkstra.html)

- In BFS, nodes are visited based on the number of the transitions from the initial state
- In Uniform cost search, nodes are visited based on the distance from the initial state
- If all transitions have cost $1 \Rightarrow$ BFS = Uniform Cost Search
- Difference between Dijkstra & UCS: in Dijkstra we calculate the minimum distances between all nodes, while in UCS we calculate the minimum distances from the initial state(s) to all nodes. def uniform cost(init state):

```
d = \{\}d [init state] = 0 pq = priorityQueue() #ordered by d
 pq.insert((init_state, d[init_state]))
came from = \{\} while pq is not empty:
      state = pq.pop() #state with the minimum d value 
      pq.remove(state)
     if is final(state):
          return reconstruct_path(state, came_from)
      for each neighbor of state: #transition & validation(s)functions
          if is_valid(neighbor) and 
            ( neighbor not in d or 
              d[neighbor] > d[state] + dist(neighbor, state)):
            d[neighbor] = d[state] + dist(ne)cam[neighbor] = state pq.insert((neighbor, d[neighbor]))
 return None
```
1.3 IDDFS (Iterative Deepening Depth First Search)

- Combines the space efficiency of DFS with the fast search of states near the current state of BFS
- DFS executed in a BFS manner

```
def IDDFS(init_state, max_depth): 
   for depth from 0 to max_depth:
      visited = \{\}sol = depth limited DFS(init state, depth, visited):
       if sol is not None:
           return sol
   return None
def depth_limited_DFS(state, depth, visited): 
     if is final(state):
         return state 
     if depth == 0:
         return None
     visited[state] = 1 for each neighbor of state: #transition & validation(s)functions
          if is_valid(neighbor) and neighbor not in visited: 
             res = depth_limited_DFS(neighbor, depth-1, visited)
             if res is not None:
                return res
```
return None

1.4 BKT

- Difference from DFS: no need to retain visited states to avoid loops.
- One of the most computationally expensive strategies

```
def BKT(partial solution):
```

```
 if (is_complete(partial_solution)): #complete = final
    return partial_solution
for each solution in successors(partial solution):
     if is_valid(solution):
        res = BKT(solution)
        if res:
           return res
 return None
```

```
BKT(empty_solution)
```
1.5 Bidirectional Search

- The search is done starting from both the initial state and the final state(s) with an algorithm such as BFS/DFS .
- Sometimes, it is hard to define reverse transitions to reconstruct the solution
- If BFS is used, the path determined between the initial state and a final state has minimum number of transitions

Pseudocode using BFS (Only one final state is considered. Each BFS has associated its own queue and its own visited vector):

```
def Bidirectional_search(init_state, final_state):
   f_q = Queue(); f_q.push(int_state)b q = Queue(); b q.push(final state)
   f viz[init state] = 1
    b_viz[final_state] = 1
   f<sub>came</sub>from = {}
   b_came_from = \{\} while not f_q.empty() and not b_q.empty():
         f_{\text{state}} = f_{q}.\text{pop}() if(is_final(f_state) or (viz_b[f_state]=1)):
             return reconstruct_path(f_state, b_state, f_came_from, b_came_from)
         for each neighbor of f state: #direct transitions
             if is_valid(neighbor) and not f_viz[neighbor]: 
               f viz[neighbor] = 1
                f_q.push(neighbor)
                f_came_from[neighbor]=f_state
         b_state = b_q.pop()
          if(is_initial(b_state) or (viz_f[b_state]=1)):
            return reconstruct path(f state, b state, f came from, b came from)
          for each r_neighbor of b_state: #reverse transitions
             if is_valid(r_neighbor) and not b_viz[r_neighbor]: 
               b\_viz[r\_neighbor] = 1b q.push(r neighbor)
               b came from[r neighbor]=b state
```
return None

2. **Informed Search**

2.1 [Greedy Best First](https://cs.stanford.edu/people/abisee/tutorial/greedy.html)

- Evaluate **all unexplored states accessible from the current state**
- Select the unexplored state closer to the goal (the heuristic value indicates the closeness to the goal).

```
def greedy(init state):
     pq = priorityQueue() #ordered by heuristic value
     pq.insert( (init_state, heur_val(init_state)) )
    visited[init_state] = 1 while pq is not empty:
          state = pq.pop() #state with the best heuristic value 
          pq.remove(state)
          if is_final(state):
              return state
          for each neighbor of state: #transition & validation(s)functions
             if is valid(neighbor) and (neighbor not in visited):
                pq.insert( (neighbor, heur val(neighbor)) )
                 visited[neighbor] = 1
```
return None

2.2 Hill Climbing

- It is a trajectory method (at each step, only a single state is retained)
- Can get stuck in local optima
- Difference from Greedy: In HC we select the next state to be at least as good as the current one. In Greedy, we can select a next state without being better than the current one.
- Multiple ways to select of the next state from the eligible neighbors: best neighbor / first neighbor / all neighbors in order (hillclimbing-backtracking).
- There is a debate between using: $h(neighbour)>= h(current_state)$ or $h(neighbour)>h(current-state)$:

```
def HC(init_state):
     state=init_state 
    while(not is final(state)):
       eligible_neighbors = []
      for each neighbor of state:
        if valid(neighbor) and h(neighbor) >= h(current state):
            eligible_neighbors.push(neighbor)
       if eligible_neighbors is empty:
         return None
       state = choose(eligible_neighbors)
```
2.3 Simulated Annealing

- It is a trajectory method (at each step, only a single state is retained)
- Difference from HC: sometimes, we can go in worse states with a probability p (that decreases in time)
- Can get stuck in local optima (but is better at escaping from local optima than HC)

```
def SA(init_state):
     state=init_state 
     init temperature T
     while(not stop criteria): #e.g., T>0
         neighbor = random valid neighbor of state
         if h(neighbor)>= h(current_state):
            state = neighbor
         else with probability p: #high T -> high p, low T -> low p
            state = neighbor 
         update temperature T
```
2.4 Beam Search

- Modification of BFS: only best k visited states are retained (in a *beam*), ordered based on the heuristic value
- The final state should be the first in the beam (best heuristic value)

```
def Beam Search(init state):
     beam = PriorityQueue()
     beam.push(init_state, h(init_state))
    viz\lceilinit state\rceil = 1
```
while(beam is not empty):

```
 if is_final(beam.first()):
       return beam.first()
```


```
new beam = []
 for state in beam:
     for neighbor of state:
         if (is_valid(neighbor) and not viz[neighbor]):
             viz[neighbor] = 1
             new_beam.push(neighbor, h(neighbor))
```

```
beam = new beam[:k]
```

```
2.5 A*
```


- admissible heuristic
- "An admissible heuristic never overestimates the distance between a state and the goal."
- A consistent heuristic satisfies: $h(A) \leq \text{dist}(A, B) + h(B)$ if B is reachable from A, where:
	- \circ h(X) = distance from state X to the goal
	- \circ dist(X,Y) = distance between X and Y (e.g., we can consider it being the number of moves to reach Y from X).
- A consistent heuristic is also admissible.

```
def A star(init state):
    came_from = \{\}d = \{\}d[init_state] = 0
    f = \{\} f[init_state] = h(init_state)
     pq = priorityQueue() #ordered by f 
     pq.insert((init_state, f[init_state]))
    while pq is not empty:
          state = pq.pop() #state with the minimum f value 
          pq.remove(state)
         if is final(state):
              if bestscore < d[state]: best_score = d[state]; best_f_state = state
          for each neighbor of state: #transition & validation(s)functions
             if is valid(neighbor) and
                ( neighbor not in d or 
                  d[neighbor] > d[state] + dist(neighbor, state) ):
                 d[neighbor] = d[state] + dist(neighbor, state) 
                f[neighbor] = d[neighbor] + h(neighbor)cam[neighbor] = state pq.insert((neighbor, f[neighbor]))
```
return None

3. **Algorithms' properties**

References

1. Uninformed and informed strategies:<https://www.youtube.com/watch?v=2vPTSp7Mfhs>

2. Animations (BFS, DFS, Greedy Best First, A*):<https://cs.stanford.edu/people/abisee/tutorial/> <https://www.redblobgames.com/pathfinding/a-star/introduction.html>

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3. Implementations (A*, BFS, Greedy Best First): [https://www.redblobgames.com/pathfinding/a](https://www.redblobgames.com/pathfinding/a-star/implementation.html)[star/implementation.html](https://www.redblobgames.com/pathfinding/a-star/implementation.html)

4. Uninformed search strategies (advantages & disadvantages)

<https://www.javatpoint.com/ai-uninformed-search-algorithms>

5. Simulated Annealing pseudocode[: http://www.cse.iitm.ac.in/~vplab/courses/optimization/SA_SEL_SLIDES.pdf](http://www.cse.iitm.ac.in/~vplab/courses/optimization/SA_SEL_SLIDES.pdf)

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